

Long Division Scenarios

Example:

Dividend
contains a decimal
larger value

Divisor
contains a decimal
smaller value

1. Convert to long division format

Standard Division Format

Long Division Format

Fraction Format

$$7.12 \div 3.2 = \longrightarrow 3.2 \overline{) 7.12} \longleftarrow \frac{7.12}{3.2}$$

2. Multiply the divisor by a power of 10 (10, 100, 1,000, ...) to make it a whole number

$$3.2 \cdot 10 = 32$$

3. Multiply the dividend by the same power of 10

$$7.12 \cdot 10 = 71.2$$

4. Apply the new values to the long division equation

$$32 \overline{) 71.2}$$

5. Put a decimal above the division bracket exactly where it is located in the dividend

$$32 \overline{) 71.2}$$

Long Division Scenarios

6. Begin the long division process

$$\begin{array}{r} 0. \\ 32 \overline{) 71.2} \\ \underline{71} \\ 0 \end{array}$$

I. UNDERSCORE:

Underscore the digit of interest

This starts with the leftmost digit of the dividend

7

II. ASK:

Can 32 fit into 7?

III. RESPONSE:

No

IV. ZERO:

put 0 above the digit of interest

7. Continue the long division process

$$\begin{array}{r} 02. \\ 32 \overline{) 71.2} \\ \underline{71} \\ 02 \\ \underline{64} \\ 07 \end{array}$$

I. EXPAND UNDERSCORE:

Expand the digits of interest to the next digit to the right

71

II. ASK:

Can 32 fit into 71?

III. RESPONSE:

Yes

IV. HOW MANY TIMES? :

2

since $32 \cdot 2 = 64$

put 2 above the digit of interest

V. SUBTRACT:

$71 - 64 = 7$ (Remainder)

VI. DROP:

Drop the next digit in the dividend

Long Division Scenarios

8. Continue the long division process

$$\begin{array}{r} 02.2 \\ 32 \overline{) 71.20} \\ \underline{64} \\ 72 \\ \underline{64} \\ 80 \end{array}$$

I. NEW UNDERSCORE:

The difference and the newly dropped digit are the new digits of interest

72

II. ASK:

Can 32 fit into 72?

III. RESPONSE:

Yes

IV. HOW MANY TIMES?:

2

since $32 \cdot 2 = 64$

put 2 above the digit of interest

V. SUBTRACT:

$72 - 64 = 8$ (Remainder)

VI. DROP:

Drop the next digit in the dividend

Long Division Scenarios

9. Continue the long division process

$$\begin{array}{r} 02.22 \\ 32 \overline{) 71.200} \\ \underline{64} \\ 72 \\ \underline{64} \\ 80 \\ \underline{64} \\ 160 \end{array}$$

I. NEW UNDERSCORE:

The difference and the newly dropped digit are the new digits of interest

80

II. ASK:

Can 32 fit into 80?

III. RESPONSE:

Yes

IV. HOW MANY TIMES?:

2

since $32 \cdot 2 = 64$

put 2 above the digit of interest

V. SUBTRACT:

$80 - 64 = 16$ (Remainder)

VI. DROP:

Drop the next digit in the dividend

Long Division Scenarios

10. Finish the long division process

$$\begin{array}{r} 02.225 \\ 32 \overline{) 71.200} \\ \underline{64} \\ 72 \\ \underline{64} \\ 80 \\ \underline{64} \\ 160 \\ \underline{160} \\ 0 \end{array}$$

I. NEW UNDERSCORE:

The difference and the newly dropped digit are the new digits of interest

160

II. ASK:

Can 32 fit into 160?

III. RESPONSE:

Yes

IV. HOW MANY TIMES?:

5

since $32 \cdot 5 = 160$

put 5 above the digit of interest

V. SUBTRACT:

$160 - 160 = 0$ (Remainder)

VI. FINISH:

The remainder is 0

There are no digits left to drop

The answer is 2.225

Long Division Scenarios

Example:

Dividend
contains a decimal
smaller value

Divisor
contains a decimal
larger value

1. Convert to long division format

Standard Division Format

Long Division Format

Fraction Format

$$0.712 \div 3.2 = \longrightarrow 3.2 \overline{) 0.712} \longleftarrow \frac{0.712}{3.2}$$

2. Multiply the divisor by a power of 10 (10, 100, 1,000, ...) to make it a whole number

$$3.2 \cdot 10 = 32$$

3. Multiply the dividend by the same power of 10

$$0.712 \cdot 10 = 7.12$$

4. Apply the new values to the long division equation

$$32 \overline{) 7.12}$$

5. Put a decimal above the division bracket exactly where it is located in the dividend

$$32 \overline{) 7.12}$$

Long Division Scenarios

8. Continue the long division process

$$\begin{array}{r} 0.22 \\ 32 \overline{) 7.120} \\ \underline{64} \\ 72 \\ \underline{64} \\ 80 \end{array}$$

I. NEW UNDERSCORE:

The difference and the newly dropped digit are the new digits of interest

72

II. ASK:

Can 32 fit into 72?

III. RESPONSE:

Yes

IV. HOW MANY TIMES? :

2

since $32 \cdot 2 = 64$

put 2 above the digit of interest

V. SUBTRACT:

$72 - 64 = 8$ (Remainder)

VI. DROP:

Drop the next digit in the dividend

Long Division Scenarios

9. Continue the long division process

$$\begin{array}{r} 0.222 \\ 32 \overline{) 7.1200} \\ \underline{64} \\ 72 \\ \underline{64} \\ 80 \\ \underline{64} \\ 160 \end{array}$$

I. NEW UNDERSCORE:

The difference and the newly dropped digit are the new digits of interest

80

II. ASK:

Can 32 fit into 80?

III. RESPONSE:

Yes

IV. HOW MANY TIMES?:

2

since $32 \cdot 2 = 64$

put 2 above the digit of interest

V. SUBTRACT:

$80 - 64 = 16$ (Remainder)

VI. DROP:

Drop the next digit in the dividend

Long Division Scenarios

10. Finish the long division process

$$\begin{array}{r} 0.2225 \\ 32 \overline{) 7.1200} \\ \underline{64} \\ 72 \\ \underline{64} \\ 80 \\ \underline{64} \\ 160 \\ \underline{160} \\ 0 \end{array}$$

I. NEW UNDERSCORE:

The difference and the newly dropped digit are the new digits of interest

160

II. ASK:

Can 32 fit into 160?

III. RESPONSE:

Yes

IV. HOW MANY TIMES? :

5

since $32 \cdot 5 = 160$

put 5 above the digit of interest

V. SUBTRACT:

$160 - 160 = 0$ (Remainder)

VI. FINISH:

The remainder is 0

There are no digits left to drop

The answer is 0.2225

Long Division Scenarios

Example:

Dividend
whole number
larger value

Divisor
whole number
smaller value

1. Convert to long division format

Standard Division Format

$$707 \div 70 =$$

Long Division Format

$$70 \overline{)707}$$

Fraction Format

$$\frac{707}{70}$$

2. Put a decimal above the division bracket exactly where it is located in the dividend

$$70 \overline{)707.}$$

3. Begin the long division process

$$70 \overline{)707.} \begin{matrix} 0 \\ \cdot \end{matrix}$$

I. UNDERSCORE:

Underscore the digit of interest

This starts with the leftmost digit of the dividend

7

II. ASK:

Can 70 fit into 7?

III. RESPONSE:

No

IV. ZERO:

put 0 above the digit of interest

Long Division Scenarios

4. Continue the long division process

$$\begin{array}{r} 01. \\ 70 \overline{) 707.} \\ \underline{-70} \\ 07 \end{array}$$

I. EXPAND UNDERSCORE:

Expand the digits of interest to the next digit to the right

70

II. ASK:

Can 70 fit into 70?

III. RESPONSE:

Yes

IV. HOW MANY TIMES?:

1

since $70 \cdot 1 = 70$

put 1 above the digit of interest

V. SUBTRACT:

$70 - 70 = 0$ (Remainder)

VI. DROP:

Drop the next digit in the dividend

Long Division Scenarios

5. Continue the long division process

$$\begin{array}{r} 010. \\ 70 \overline{) 707.0} \\ \underline{70} \\ 070 \end{array}$$

I. NEW UNDERSCORE:

The difference and the newly dropped digit are the new digits of interest

07

II. ASK:

Can 70 fit into 7?

III. RESPONSE:

No

IV. ZERO:

put 0 above the digit of interest

V. DROP:

Drop the next digit in the dividend

Long Division Scenarios

6. Finish the long division process

$$\begin{array}{r} 010.1 \\ 70 \overline{) 707.0} \\ \underline{-70} \\ 070 \\ \underline{-70} \\ 0 \end{array}$$

I. NEW UNDERSCORE:

The difference and the newly dropped digit are the new digits of interest

070

II. ASK:

Can 70 fit into 70?

III. RESPONSE:

Yes

IV. HOW MANY TIMES?:

1

since $70 \cdot 1 = 70$

put 1 above the digit of interest

V. SUBTRACT:

$70 - 70 = 0$ (Remainder)

VI. FINISH:

The remainder is 0

There are no digits left to drop

The answer is 10.1

Long Division Scenarios

Example:

Dividend
whole number
smaller value

Divisor
whole number
larger value

1. Convert to long division format

Standard Division Format

$$60 \div 96 =$$



Long Division Format

$$96 \overline{)60}$$



Fraction Format

$$\frac{60}{96}$$

2. Put a decimal above the division bracket exactly where it is located in the dividend

$$96 \overline{)60.}$$

3. Begin the long division process

$$96 \overline{)60.0}$$

I. UNDERSCORE:

Underscore the digit of interest

This starts with the leftmost digit of the dividend

6

II. ASK:

Can 96 fit into 6?

III. RESPONSE:

No

IV. ZERO:

put 0 above the digit of interest

Long Division Scenarios

4. Continue the long division process

$$\begin{array}{r} 96 \overline{) 60.00} \\ \underline{60} \\ 00 \end{array}$$

I. EXPAND UNDERSCORE:

Expand the digits of interest to the next digit to the right

60

II. ASK:

Can 96 fit into 60?

III. RESPONSE:

No

IV. ZERO:

put 0 above the digit of interest

Long Division Scenarios

5. Continue the long division process

$$\begin{array}{r} 00.6 \\ 96 \overline{) 60.00} \\ \underline{- 576} \\ 240 \end{array}$$

I. EXPAND UNDERSCORE:

Expand the digits of interest to the next digit to the right
Ignore the decimal

600

II. ASK:

Can 96 fit into 600?

III. RESPONSE:

Yes

IV. HOW MANY TIMES? :

6

since $96 \cdot 6 = 576$

put 6 above the digit of interest

V. SUBTRACT:

$600 - 576 = 24$ (Remainder)

VI. DROP:

Drop the next digit in the dividend

Long Division Scenarios

6. Continue the long division process

$$\begin{array}{r} \text{00.62} \\ 96 \overline{) 60.000} \\ \underline{576} \\ 240 \\ \underline{192} \\ 480 \end{array}$$

I. NEW UNDERSCORE:

The difference and the newly dropped digit are the new digits of interest

240

II. ASK:

Can 96 fit into 240?

III. RESPONSE:

Yes

IV. HOW MANY TIMES? :

2

since $96 \cdot 2 = 192$

put 2 above the digit of interest

V. SUBTRACT:

$240 - 192 = 48$ (Remainder)

VI. DROP:

Drop the next digit in the dividend

Long Division Scenarios

7. Finish the long division process

$$\begin{array}{r} \text{00.625} \\ 96 \overline{) 60.000} \\ \underline{576} \\ 240 \\ \underline{192} \\ 480 \\ \underline{480} \\ 0 \end{array}$$

I. NEW UNDERSCORE:

The difference and the newly dropped digit are the new digits of interest

480

II. ASK:

Can 96 fit into 480?

III. RESPONSE:

Yes

IV. HOW MANY TIMES?:

5

since $96 \cdot 5 = 480$

put 5 above the digit of interest

V. SUBTRACT:

$480 - 480 = 0$ (Remainder)

VI. FINISH:

The remainder is 0

There are no digits left to drop

The answer is 0.625

Long Division Scenarios

Example:

Dividend
contains a decimal
larger value

Divisor
whole number
smaller value

1. Convert to long division format

Standard Division Format

Long Division Format

Fraction Format

$$4.44 \div 4 =$$



$$4 \overline{) 4.44}$$



$$\frac{4.44}{4}$$

2. Put a decimal above the division bracket exactly where it is located in the dividend

$$4 \overline{) 4.44}$$

Long Division Scenarios

3. Begin the long division process

$$\begin{array}{r} 1. \\ 4 \overline{) 4.44} \\ \underline{-4} \\ 04 \end{array}$$

I. UNDERSCORE:

Underscore the digit of interest

This starts with the leftmost digit of the dividend

4

II. ASK:

Can 4 fit into 4?

III. RESPONSE:

Yes

IV. HOW MANY TIMES?:

1

since $4 \cdot 1 = 4$

put 1 above the digit of interest

V. SUBTRACT:

$4 - 4 = 0$ (Remainder)

VI. DROP:

Drop the next digit in the dividend

Long Division Scenarios

4. Continue the long division process

$$\begin{array}{r} 1.1 \\ 4 \overline{) 4.44} \\ \underline{-4} \\ 04 \\ \underline{-4} \\ 04 \end{array}$$

I. NEW UNDERSCORE:

The difference and the newly dropped digit are the new digits of interest

04

II. ASK:

Can 4 fit into 4?

III. RESPONSE:

Yes

IV. HOW MANY TIMES? :

1

since $4 \cdot 1 = 4$

put 1 above the digit of interest

V. SUBTRACT:

$4 - 4 = 0$ (Remainder)

VI. DROP:

Drop the next digit in the dividend

Long Division Scenarios

5. Finish the long division process

$$\begin{array}{r} 1.11 \\ 4 \overline{) 4.44} \\ \underline{4} \\ 04 \\ \underline{4} \\ 04 \\ \underline{4} \\ 0 \end{array}$$

I. NEW UNDERSCORE:

The difference and the newly dropped digit are the new digits of interest

04

II. ASK:

Can 4 fit into 4?

III. RESPONSE:

Yes

IV. HOW MANY TIMES? :

1

since $4 \cdot 1 = 4$

put 1 above the digit of interest

V. SUBTRACT:

$4 - 4 = 0$ (Remainder)

VI. FINISH:

The remainder is 0

There are no digits left to drop

The answer is 1.11

Long Division Scenarios

Example:

Dividend
whole number
larger value

Divisor
contains a decimal
smaller value

1. Convert to long division format

Standard Division Format

Long Division Format

Fraction Format

$$8 \div 0.32 = \longrightarrow 0.32 \overline{)8} \longleftarrow \frac{8}{0.32}$$

2. Multiply the divisor by a power of 10 (10, 100, 1,000, ...) to make it a whole number

$$0.32 \cdot 100 = 32$$

3. Multiply the dividend by the same power of 10

$$8 \cdot 100 = 800$$

4. Apply the new values to the long division equation

$$32 \overline{)800.}$$

5. Put a decimal above the division bracket exactly where it is located in the dividend

$$32 \overline{)800.}$$

Long Division Scenarios

6. Begin the long division process

$$\begin{array}{r} 0 \\ 32 \overline{) 800.} \\ \underline{800} \end{array}$$

I. UNDERSCORE:

Underscore the digit of interest

This starts with the leftmost digit of the dividend

8

II. ASK:

Can 32 fit into 8?

III. RESPONSE:

No

IV. ZERO:

put 0 above the digit of interest

Long Division Scenarios

7. Continue the long division process

$$\begin{array}{r} 02 \\ 32 \overline{) 800} \\ \underline{64} \\ 160 \end{array}$$

I. EXPAND UNDERSCORE:

Expand the digits of interest to the next digit to the right
Ignore the decimal

80

II. ASK:

Can 32 fit into 80?

III. RESPONSE:

Yes

IV. HOW MANY TIMES?:

2

since $32 \cdot 2 = 64$

put 2 above the **digit of interest**

V. SUBTRACT:

$80 - 64 = 16$ (Remainder)

VI. DROP:

Drop the **next digit** in the dividend

Long Division Scenarios

8. Finish the long division process

$$\begin{array}{r} 025. \\ 32 \overline{) 800.} \\ \underline{64} \\ 160 \\ \underline{160} \\ 0 \end{array}$$

I. NEW UNDERSCORE:

The difference and the newly dropped digit are the new digits of interest

160

II. ASK:

Can 32 fit into 160?

III. RESPONSE:

Yes

IV. HOW MANY TIMES?:

5

since $32 \cdot 5 = 160$

put 5 above the digit of interest

V. SUBTRACT:

$160 - 160 = 0$ (Remainder)

VI. FINISH:

The remainder is 0

There are no digits left to drop

The answer is 25

Long Division Scenarios

Example:

Dividend
zero

Divisor
any value (except zero)

$$\begin{array}{r} 0 \\ 5 \overline{) 0} \end{array}$$

The quotient is always 0

Example:

Dividend
any value

Divisor
zero

$$\begin{array}{r} \text{undefined} \\ 0 \overline{) 5} \end{array}$$

The quotient is undefined

Example:

Dividend
the same value
(except zero)

Divisor
the same value
(except zero)

$$\begin{array}{r} 1 \\ 7 \overline{) 7} \end{array}$$

The quotient is always 1

Long Division Scenarios

Example:

Dividend
any value

Divisor
one

$$\begin{array}{r} 9 \\ 1 \overline{) 9} \end{array}$$

The **quotient** is always the same as the **dividend**